### Review for Test #3

- □ Responsible for:
- Chapters 14, 15, and 16 (23, S3, and 13 by default)
- Notes from class
- Problems worked in class
- Homework assignments
- □ Test format:
- 4 problem (15 points each), 1 (30 points)
- 1 bonus problem (5 points each)
- 3 conceptual questions (10 points total)
- Time: 75 minutes
- □ Test materials:
- Pencil, eraser, and non-programmable calculator
- No formulae sheet or paper; all provided
- Closed textbook and notes

### Material Covered

- Chapter 14: Electric Fields in Matter
- properties of materials (insulators, ...)
- charging/discharging materials
- polarization of atoms, polarizability
- polarization of insulators/conductors
- charge diagrams, ion/electron drift speed, mobility
- atom-dipole forces
- Chapter 15: <u>E Fields for Charge Distributions</u>
- continuous distributions (linear, 2D, 3D)
- electric field integral and charge elements
- analytic solutions of thin rods, rings, disks, solid spheres
- parallel-plate capacitor

### Material Covered

#### Chapters 16: Electric Potential

- potential energy and electric potential difference
- electric potential due to point charges and charge distributions
- equipotential surfaces
- the electric field from the electric potential
- dielectric constant, field energy density

# Example Problem

LON-CAPA HW 6, problem 3 - the charged sheet and rod.

### Problem P56 (Chap. 14)

A neutral solid metal sphere of radius 0.1 m is at the origin, polarized by a point charge of 6.0e-8 C at location <-0.3,0,0> m. At location <0,0.07,0> m, what is the electric field contributed by the polarized charges on the surface of the metal sphere? How do you know?

## Problem P61 (Chap. 16)

A thin spherical glass shell of radius R carries a uniformly distributed charge +Q, and a thin spherical plastic shell of radius R carries a uniformly distributed charge -Q. The surfaces of the spheres are a distance L+2d from each other, and locations A and B are a distance d from the surfaces of the spheres. Calculate the potential difference  $V_B$ - $V_A$ .

 $\begin{array}{ccc} A & L \\ \hline d & L \end{array}$