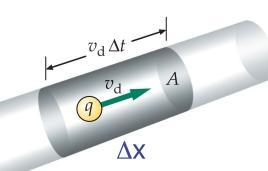
## Chapter 17: Current

## **Current** $I = \frac{dQ}{dt}$ $Q = \int_0^t I(t)dt$

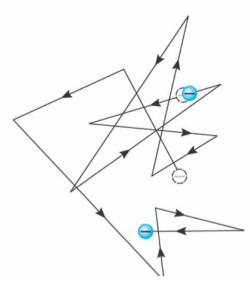
 $\Box$  In terms of the current density  $I = \int \vec{J} \cdot d\vec{A}$ 

## □ For a uniform current density perpendicular to the area element J = I/A

## Microscopic Description of Current



- Consider a conductor with cross sectional area A and a segment length  $\Delta x$
- If there is no potential difference across it, the electric field in the wire is zero and therefore the current is zero
- However, there are electrons moving within the conductor
- These conduction electrons move in random directions, but at high speeds ~10<sup>6</sup> m/s



 $\bigcirc$  No net displacement of the electrons  $\rightarrow$  no current  $\rightarrow$  no electric field However, if a  $\Delta V$  is applied then there is an electric field in the conductor and a current Considering the current at a microscopic level, there is  $\rightarrow$  a volume element of A $\Delta x$  $\rightarrow$  with n total number of charge carriers per unit volume  $\rightarrow$  each with positive charge q The total charge in the volume element is  $\Delta Q = nA\Delta xq$ They move with a constant speed, the drift speed

In a vacuum with a uniform electric field, electrons move in a straight line in the opposite direction of the field lines However, in a conductor, the electrons travel for short distances (~40 nm), in random directions until they encounter an atom, where the electron is scattered in a random direction Nevertheless, the electrons move slowly in the direction opposite the electric field at the drift speed ( $\sim 10^{-4}$  m/s) The drift speed of electrical conduction can be understood through the Drude model which applies classical mechanics