

Review for Test #1

- Responsible for:

- Chapters 1 (1.1-1.12) and 2 (2.1-2.5)
- Notes from class
- Problems worked in class
- Homework assignments

- Test format: 4 problems (15 points each)

- 1 problem (30 points)
- 1 set of conceptual questions (10 points)
- Time: 75 minutes

- Test materials: Pencil, eraser, and non-programmable calculator; No formulae sheet or paper (provided); closed textbook and notes

Rules for the Test

- ❑ Try to spread out in the class, one empty seat if possible between you
- ❑ No talking during test, except to proctor or instructor
- ❑ Put name and 811 number on test (first page)
- ❑ Bring Student ID
- ❑ All electronics turned **off** (phones, tablets, computers, etc.), except simple calculator
- ❑ Proctor is watching!

Material Covered

□ Chapter 1: Introduction

- units, significant figures, dimensions, estimates
- vector addition, components, magnitudes, unit vector
- 1D kinematics, displacement, velocity, acceleration
- acceleration due to gravity
- momentum
- integration methods, graphical interpretations
- relativistic momentum

□ Chapter 2: Momentum principle

- general forces and impulse
- Newtons 1st and 2nd laws
- free-body diagrams
- impulse-momentum theorem
- 2D kinematics (projectile motion)

Example Problem (intermediate)

A ball is thrown straight upward and rises to a maximum height of 16 m above its launch point. At which height above its launch point has the speed of the ball decreased to one-half of its initial value?

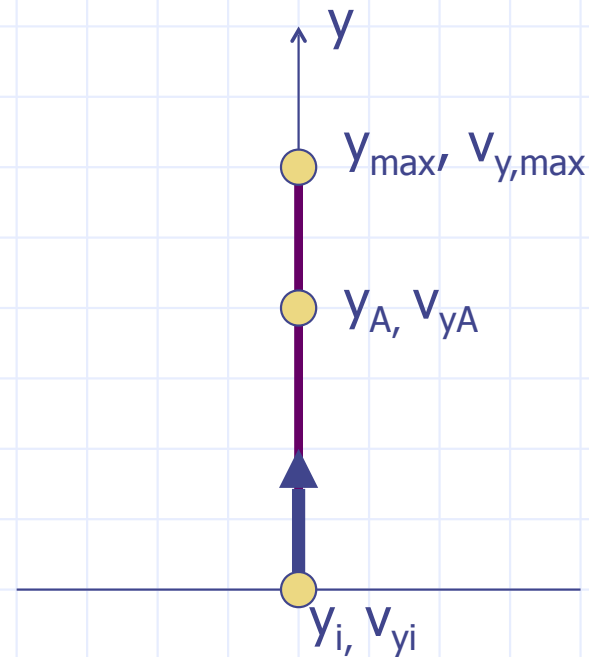
Solution:

Given: $y_{\max} = 16 \text{ m}$

Infer: $v_{y,\max} = 0, y_i = 0$

Find: y_A when $v_{yA} = v_{yi}/2$

Also, need v_{yi}



To maximum height (drop y subscript in v):

$$v_{\max}^2 = v_i^2 - 2g(y_{\max} - y_i)$$

Solve for v_i

$$v_i^2 = v_{\max}^2 + 2g(y_{\max} - y_i) = 2gy_{\max}$$

To intermediate point:

$$v_A^2 = v_i^2 - 2g(y_A - y_i)$$

Solve for y_A

$$\begin{aligned} y_A &= (v_i^2 - v_A^2)/(2g) = [v_i^2 - (v_i/2)^2]/(2g) \\ &= v_i^2(1 - 1/4)/(2g) = v_i^2 (3/4)/(2g) = 3v_i^2/(8g) \\ &= 3(2gy_{\max})/(8g) = 3y_{\max}/4 = 3(16\text{m})/4 = \boxed{12 \text{ m}} \end{aligned}$$