Chapter 8: Energy Quantization

We will begin by considering the Bohr model of the atom. It uses some principles of quantum mechanics in an attempt to explain "mysterious" emission features of gases

Also a macroscopic object emits a continuous black-body spectrum related to its temperature - first hint of quantized (discrete) energy (Planck)

□ However, at the end of the 19th century, spectra which consisted of discrete ``lines" were observed for low pressure gas which was excited by an electric discharge.



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Atomic emission and absorption lines



Astrophysical Spectra as examples

Gaseous nebula

Extrasolar planet model



These features were a mystery and were also the driving force behind the development of quantum mechanics Many models were put forth to attempt to explain the discrete spectra, but before the development of the Schrödinger Equation One that still has attractive features is the Bohr model Bohr knew that the hydrogen atom consisted of an electron and a proton He postulated that (1) the electron was held in an circular orbit about the proton

Bohr model of the hydrogen atom





While useful, the Bohr model fails in a number of important ways:

- 1. While the electron is most likely to be found at certain radii, which in the language of quantum mechanics is the expectation value $\langle r_n \rangle$, they must be treated as waves and therefore do not have fixed radial distances. In fact, the electrons do not travel in circular orbits, but can be found anywhere in the 3D space around the proton - electrons have radial KE as well as rotational KE - also if r was precisely known, then
 - uncertainty in $p \rightarrow \infty$ (Heisenberg Uncertainty Principle)

The Bohr model cannot be applied to atoms with more than one-electron

 → however, it does give reasonable
 results for highly excited states (large n, or Rydberg states) – since the classical limit is being approached

The quantization of angular momentum has no theoretical basis in the Bohr model

 \rightarrow only justified to give agreement with experiment

 \rightarrow quantum mechanics actually predicts angular momentum quantization (sec. 11.11)

Therefore, for an accurate description of an atom, we need to apply the Schrödinger equation (a 2nd-order partial diff. equation)

Emission and absorption processes





